

**VALLIAMMAI ENGINEERING COLLEGE**

(S.R.M.NAGAR, KATTANKULATHUR-603 203)

**DEPARTMENT OF MATHEMATICS**

**QUESTION BANK**

**I SEMESTER**

**MA8151-ENGINEERING MATHEMATICS -1**

**Regulation – 2017**

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VALLIAMMAI ENGINEERING COLLEGE

S.R.M.NAGAR, KATTANKULAR

DEPARTMENT OF MATHEMATICS



SUBJECT CODE / NAME: MA8151- ENGINEERING MATHEMATICS –I

SEMESTER / YEAR: I SEMESTER / I YEAR (COMMON TO ALL BRANCHES)

UNIT I DIFFERENTIAL CALCULUS			
Representation of functions - Limit of a function - Continuity - Derivatives - Differentiation rules - Maxima and Minima of functions of one variable.			
Q.No.	Question	Bloom's Taxonomy Level	Domain
<b>PART – A</b>			
1.	Show that $\lim_{x \rightarrow 0} \frac{\sin x}{x} = 1$	BTL -1	Remembering
2.	Prove that $\lim_{x \rightarrow 0} \frac{\cos x - 1}{x^2} = -\frac{1}{2}$	BTL -1	Remembering
3.	Evaluate $\lim_{x \rightarrow 0} \frac{a^x - x^c}{x^c}$	BTL -5	Evaluating
5.			Applying
4.	Find $\lim_{x \rightarrow 0} \frac{a^x - x^c}{x^c}$	BTL -2	Understanding
	Use the squeeze theorem to show that $\lim_{x \rightarrow 0} \sqrt{x} \sin \frac{1}{x} = 0$	BTL -3	
6.	Find $\lim_{x \rightarrow \infty} \frac{1}{\sqrt{x}}$	BTL -2	Understanding
8.			Evaluating
7.	Calculate $\lim_{x \rightarrow 0} e^x + \frac{1}{x}$	BTL -3	Applying
	Evaluate the limit for $\lim_{x \rightarrow 0} \frac{1}{x}$	BTL -5	
9.	Find the limits if it exists for $\lim_{x \rightarrow 0} \frac{1}{x}$	BTL -2	Understanding
	Compute the $\lim_{x \rightarrow 0} \frac{\ln \cos x }{x}$	BTL -3	Applying
10.	Point out $\lim_{x \rightarrow 0} \frac{\ln \cos x }{x}$	BTL -4	Analyzing
11.	Predict the values of a and b		
12.	so that the function f given	BTL -2	Understanding

	by $f(x) = \begin{cases} x^2 + 1 & x < 3 \\ x^2 - 1 & x \geq 3 \end{cases}$ is continuous at $x=3$ and $x=5$ .		
	$f(x) = \begin{cases} x^2 + c & x < 3 \\ x^2 - 1 & x \geq 3 \end{cases}$ what is the value of $c$ ?		
14.	Where the function is $f(x) =  x $ is differentiable?	<b>BTL -2</b>	Understanding
15.	Estimate $\lim_{x \rightarrow 0} \frac{1}{x}$	<b>BTL -2</b>	Understanding
16.	Calculate $\lim_{x \rightarrow 0} \left( \frac{1}{\sqrt{x}} \right)$	<b>BTL -3</b>	Applying
17.	Compute $\lim_{x \rightarrow 0} \left( \frac{1}{x} \right)$	<b>BTL -3</b>	Applying
18.	Evaluate $\lim_{x \rightarrow 0} \left( \frac{1}{x} \right)$	<b>BTL -5</b>	Evaluating
19.	Estimate $\lim_{x \rightarrow 0} \left( \frac{1}{x} \right)$	<b>BTL -2</b>	Understanding
20.	Find the critical numbers of the function $f(x) = x^2 - 2x - 3$	<b>BTL -3</b>	Applying
<b>PART - B</b>			
1.(a)	Point out the domain where the function $f$ is continuous Also find the number at which the function $f$ is discontinuous when $f(x) = \begin{cases} x^2 + 1 & x < 3 \\ x^2 - 1 & x \geq 3 \end{cases}$	<b>BTL -4</b>	Analyzing
1.(b)	Estimate $\lim_{x \rightarrow 0} \frac{1}{x}$ function	<b>BTL -3</b>	Applying
	Show that the function $f(x) = \sqrt{x}$ is continuous an the interval $[-1,1]$ .	<b>BTL -1</b>	Remembering
2.(b)	Estimate the absolute maximum and minimum of the function $f(x) = x^2 - 2x - 3$	<b>BTL -2</b>	Understanding
	Where is the function $f(x) = x^2 + a - 1$ continuous?	<b>BTL -4</b>	Analyzing
3.(b)	Calculate the absolute maximum and minimum of the function $f(x) = x^2 - 2x - 3$	<b>BTL -3</b>	Applying

4. (a)	Prove that the equation $x^3 - 2x^2 + x - 1 = 0$ has at most one real root in the interval $[-2, 2]$ .	BTL -1	Remembering
4.(b)	Find the absolute maximum and minimum of $f(x) = x^3 - 2x^2 + x - 1$	BTL -3	Applying
5. (a)	Show that $\sqrt{2}$ is a root of the equation $x^3 - 2x^2 + x - 1 = 0$ between 1 and 2.	BTL -1	Remembering
5.(b)	Calculate the local maximum and local minimum of $f(x) = x^3 - 2x^2 + x - 1$ at $(1, 2)$ .	BTL -3	Applying
6. (a)	Show that the function $f(x) = x^3 - 2x^2 + x - 1$ has a root in the interval $(1, 2)$ .	BTL -1	Remembering
6.(b)	Point out the local maximum and minimum of $f(x) = x^3 - 2x^2 + x - 1$ by first derivative test.	BTL -4	Analyzing
7. (a)	Find the domain at which the function $f(x) = x^3 - 2x^2 + x - 1$ is continuous and differentiable.	BTL -3	Applying
7. (b)	Predict the local maximum and minimum of the function $f(x) = x^3 - 2x^2 + x - 1$ at the point $(1, 1)$ .	BTL -2	Understanding
8. (a)	Find where the function $f(x) = x^3 - 2x^2 + x - 1$ is increasing and where it is decreasing. Also find the local maximum and local minimum of $f(x)$ .	BTL -1	Remembering
8.(b)	Find an equation of the tangent line to the hyperbola $xy = 3$ at $(3, 1)$ .	BTL -3	Applying
9. (a)	Show that there is a root of $f(x) = x^3 - 2x^2 + x - 1$ in the interval $(1, 2)$ .	BTL -3	Remembering
9.(b)	Find the equation of tangent to the curve $y = x^3 - 2x^2 + x - 1$ at the point $(2, -4)$ .	BTL -1	Applying
10.(a)	Use second derivative test to examine the relative maxima for $f(x) = x^3 - 2x^2 + x - 1$ .	BTL -3	Applying
10.(b)	Find an equation of the tangent to the curve $y = x^3 - 2x^2 + x - 1$ at the point $(2, 3)$ .	BTL -3	Applying
11.(a)	Point out the local maximum and minimum of $f(x) = x^3 - 2x^2 + x - 1$ using second derivative test.	BTL -4	Analyzing
11.(b)	Find the equation of tangent to the curve $y = x^3 - 2x^2 + x - 1$ at $(1, 1)$ .	Analyzing	Applying
12.(a)	Examine the local extreme of $f(x) = x^3 - 2x^2 + x - 1$ . Also discuss the concavity and find the inflection points.	BTL -3	Applying
12.(b)	Find the equation of tangent to the curve $y = x^3 - 2x^2 + x - 1$ at $(1, 1)$ .	BTL -2	Understanding
13.(a)	Discuss the curve $y = x^3 - 2x^2 + x - 1$ with respect to concavity, points of inflection and local maxima and minima.	BTL -3	Applying
13.(b)	Find the equation of tangent to the curve $y = x^3 - 2x^2 + x - 1$ at $(1, 1)$ .	BTL -3	Applying
13.(b)	Discuss the curve $y = x^3 - 2x^2 + x - 1$ with respect to concavity, points of inflection and local maxima and minima.	BTL -3	Applying

14.(a)	Find the equation of the tangent to the curve $y = \sqrt{x}$ at (i) (1,1)	BTL -3	Applying
	(ii) (4,1/2)		
	Evaluate local maximum and minimum values for the function		

**UNIT II FUNCTIONS OF SEVERAL VARIABLES**

Partial differentiation – Homogeneous functions and Euler’s theorem – Total derivative – Change of variables – Jacobians – Partial differentiation of implicit functions – Taylor’s series for functions of two variables – Maxima and minima of functions of two variables – Lagrange’s method of undetermined multipliers

Q.No.	Question	Bloom’s Taxonomy Level	Domain
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**PART - A**

1.	If $u = \frac{y}{z} + \frac{z}{xy} + \frac{x}{z}$ , then find $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} + z \frac{\partial u}{\partial z}$ .	BTL -1	Remembering
2.	If $u = f(x - y, y - z, z - x)$ , then find $\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} + \frac{\partial u}{\partial z}$ .	BTL -1	Remembering
3.	If $y = \sin^{-1} \left( \frac{x}{\sqrt{1+x^2}} \right)$ , then find $\frac{dy}{dx}$ .	BTL -1	Remembering
Statement of Euler’s Theorem.			
5.	Find the value of $\frac{du}{dt}$ , given $u = x^2 + y^2$ , $x = at^2$ , $y = 2at$ .	BTL -1	Remembering
6.	If $u = x^3 y^2 + x^2 y^3$ where $x = at^2$ and $y = 2at$ , then find $\frac{du}{dt}$ .	BTL -3	Applying
7.	Find $\frac{du}{dt}$ if $u = \sin \left( \frac{x}{y} \right)$ , where $x = e^t$ , $y = t^2$ .	BTL -3	Applying
8.	Find $\frac{du}{dt}$ if $u = \frac{x}{y}$ where $x = e^t$ , $y = \log t$ .	BTL -2	Understanding
9.	Find the Jacobian $\frac{\partial(r, \theta)}{\partial(x, y)}$ , if $x = r \cos \theta$ & $y = r \sin \theta$ .	BTL -3	Applying
10.	Find the Jacobian $\frac{\partial(u, v)}{\partial(r, \theta)}$ without actual substitution, if $x = r \cos \theta$ & $y = r \sin \theta$ , $u = 2xy$ , $v = x^2 - y^2$ .	BTL -4	Analyzing
11.	If $u = \frac{y^2}{2x}$ and $v = \frac{x^2 + y^2}{2x}$ , find $\frac{\partial(u, v)}{\partial(x, y)}$ .	BTL -3	Applying

12.	If $x = u(1+v)$ , $y = v(1+u)$ . Find $\frac{\partial(x, y)}{\partial(u, v)}$ .	<b>BTL -1</b>	Remembering
13.	If show that $\frac{\partial^2 u}{\partial x \partial y} = \frac{\partial^2 u}{\partial y \partial x}$ .	<b>BTL -2</b>	Understanding
14.	If $u = \frac{x+y}{1-xy}$ and $v = \tan^{-1} x + \tan^{-1} y$ , find $\frac{\partial(u, v)}{\partial(x, y)}$ .	<b>BTL -3</b>	Applying

15.	Find the Taylor series expansion of $\frac{1}{1-x}$ near the point $x=0$ up to first term	<b>BTL -2</b>	Understanding
16.	Expand $xy + 2x - 3y + 2$ in powers of $(x - 1)$ & $(y + 2)$ , using Taylor's theorem up to first degree form	<b>BTL -3</b>	Applying
17.	Find the Stationary points of $f(x, y) = x^3 + 3xy^2 - 15x^2 - 15y^2 + 72x$ .	<b>BTL -4</b>	Analyzing
18.	Find the Stationary points of $x^2 - xy + y^2 - 2x + y$ .	<b>BTL -4</b>	Analyzing
19.	State the Sufficient condition for $f(x, y)$ to be extremum at a point	<b>BTL -4</b>	Analyzing
20.	Find the minimum point of $x^2 + y^2 + 6x + 12y$ .	<b>BTL -4</b>	Analyzing
<b>= PART - B</b>			
1.(a)	If $u = \log(x^2 + y^2) + \tan^{-1} \frac{y}{x}$ , prove that $\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0$	<b>BTL-1</b>	Remembering
1.(b)	If $u = \frac{z}{xy}$ , $v = \frac{x}{z}$ , $w = \frac{xy}{z}$ , find $\frac{\partial(u, v, w)}{\partial(x, y, z)}$	<b>BTL -3</b>	Applying
2. (a)	If $u = x^2 + y^2 + z^2$ , $v = x^2 - y^2 + z^2$ , $w = x^2 + y^2 - z^2$ , Prove that $\frac{\partial(u, v, w)}{\partial(x, y, z)} = 0$	<b>BTL -2</b> <b>BTL -4</b>	Understanding Analyzing
2.(b)	Find the Jacobian of $(u, v, w)$ of the transformation $x = u^2 + v^2 + w^2$ , $y = u^2 - v^2 + w^2$ , $z = u^2 + v^2 - w^2$ . If $z$ is a function of $u$ and $v$ , then show that $\frac{\partial z}{\partial u} = \frac{2u}{u^2 + v^2 - w^2}$ and $\frac{\partial z}{\partial v} = \frac{2v}{u^2 + v^2 - w^2}$	<b>BTL -2</b>	Understanding
3.(b)	If $x + y + z = u$ , $y + z = uv$ , $z = uvw$ , prove that $\frac{\partial(x, y, z)}{\partial(u, v, w)} = u^2 v$	<b>BTL -2</b>	Understanding
4. (a)	If $u = f(x, y)$ where $x = r \cos \theta$ , $y = r \sin \theta$ , prove that $\left(\frac{\partial u}{\partial x}\right)^2 + \left(\frac{\partial u}{\partial y}\right)^2 = \left(\frac{\partial u}{\partial r}\right)^2 + \frac{1}{r^2} \left(\frac{\partial u}{\partial \theta}\right)^2$	<b>BTL -4</b>	Analyzing
4.(b)	Verify Euler's theorem for homogeneous function $z = f(x, y)$ where $x = u^2$ , $y = v^2$	<b>BTL -3</b>	Applying
5. (a)	Prove that $\frac{\partial^2 z}{\partial u^2} + \frac{\partial^2 z}{\partial v^2} = 4(u^2 + v^2) \left[ \frac{\partial^2 z}{\partial x^2} + \frac{\partial^2 z}{\partial y^2} \right]$ where $x = u^2$ , $y = v^2$	<b>BTL -4</b>	Analyzing
5.(b)	If $u = \frac{xy}{z}$ , $v = \frac{x}{z}$ , $w = \frac{y}{z}$ , then find $\frac{\partial(u, v, w)}{\partial(x, y, z)}$	<b>BTL -3</b>	Applying

	w)			
6. (a)	<p>If <math>\frac{\partial(u, v, w)}{\partial(x, y, z)} = \dots</math>, <math>\frac{\partial(u, v, w)}{\partial(x, y, z)} = \dots</math> Show that</p> <p><math>\frac{\partial(u, v, w)}{\partial(x, y, z)} = \dots</math></p>		BTL -3	Applying
6. (b)	<p>If <math>\dots = \log_e \left[ \dots \right]</math>, <math>\dots = \dots</math></p>		BTL -3	Applying



	<p><math>= \log \dots + \dots - \dots</math></p> <p>If show that <math>\dots = - \dots + \dots</math></p>	BTL -3	Applying
7. (b)	<p>If <math>\dots</math>, Prove that <math>\dots</math></p> <p><math>= \dots</math></p>	BTL -2	Understanding
8. (a)	Expand $e^x \log 1 + y$ in powers of $y$ up to terms of third degree terms using Taylor's series & $\dots$	BTL -1	Remembering
8. (b)	Discuss the maxima and minima of $\dots$	BTL -5	Evaluating
9. (a)	Expand $\tan^{-1} \frac{y}{x}$ in the neighborhood of (1, 1)	BTL -3	Applying
9. (b)	Find the Maximum value of $x^m y^n z^p$ when $x + y + z = a$ .	BTL -3	Applying
10. (a)	Find the Taylors series expansion of $\dots$ at the point $(-1, \frac{\pi}{4})$ up to the third degree terms	BTL -4	Analyzing
10. (b)	Find the extreme value of $x^2 + y^2 + z^2$ subject to the condition $x + y + z = 3a$ .	BTL -2	Understanding
11. (a)	Expand $\dots$ in powers of $\dots$ and $\dots$ upto third degree terms by Taylor's series	BTL -4	Analyzing
11. (b)	Find the minimum value of $x^2 + y^2 + z^2$ subject to $2x + y + 3z = a$ .	BTL -2	Understanding
12. (a)	Expand Taylor s series of $x^3 + y^3 + xy^2$ in powers of $x$ and $y$	BTL -5	Evaluating
12. (b)	Find the volume of the greatest rectangular parallelepipid that can be inscribed in the ellipsoid $\frac{x^2}{a^2} + \frac{y^2}{b^2} + \frac{z^2}{c^2} = 1$ .	BTL -3	Applying
13. (a)	Find the extreme values of $f(x, y) = x^3 + y^3 - 3x - 12y + 20$ .	BTL -3	Applying
13. (b)	Find the shortest and longest distances from the point (1,2,-1) to the sphere $x^2 + y^2 + z^2 = 24$	BTL -4	Analyzing
14. (a)	A rectangular box open at the top is to have volume of 32 cm. Find the dimension of the box requiring least material for its Construction.	BTL -3	Applying
14. (b)	Find the maximum and minimum distances of the point (3,4,12) from the sphere $x^2 + y^2 + z^2 = 1$ .	BTL -4	Analyzing

**UNIT III INTEGRAL CALCULUS**

Definite and Indefinite integrals - Substitution rule - Techniques of Integration - Integration by parts, Trigonometric integrals, Trigonometric substitutions, Integration of rational functions by partial fraction, Integration of irrational functions - Improper integrals.

Q.No.	Question	Bloom's Taxonomy Level	Domain
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PART - A			
1.	Prove that the following integral by interpreting each in terms of areas	BTL -1	Remembering
2.	Show that $\int_0^1 x^2 dx = \frac{1}{3}$	BTL -1	Remembering
3.	Evaluate $\int_0^1 x^2 dx$ in terms of areas.	BTL -5	Evaluating
4.	Evaluate $\int_0^1 \sqrt{x} dx$ of areas.	BTL -5	Evaluating
5.	Evaluate the integral $\int_0^1 x^2 dx$ by using Riemann sum method	BTL -5	Evaluating
6.	Calculate $\int_0^1 x^2 dx$	BTL -3	Applying
7.	Calculate $\int_0^1 \sqrt{x} dx$	BTL -3	Applying
8.	Find $\int_0^1 \tan^{-1} x dx$	BTL -3	Applying
9.	Find $\int_0^1 \frac{1}{1+x^2} dx$	BTL -3	Applying
10.	Evaluate $\int_0^1 x^{-1} dx$	BTL -5	Evaluating
11.	Calculate $\int_0^1 x dx$	BTL -3	Applying
12.	Calculate $\int_0^1 x^2 dx$	BTL -3	Applying
13.	Evaluate $\int_0^1 \log x dx$	BTL -2	Understanding
14.	Evaluate $\int_0^1 \sqrt{x} dx$	BTL -5	Evaluating
15.	Evaluate $\int_0^1 \frac{1}{1+x^2} dx$	BTL -5	Evaluating
16.	Evaluate $\int_0^1 x dx$	BTL -5	Evaluating
17.	Estimate $\int_0^1 x^2 dx$	BTL -5	Evaluating
18.	improper integral $\int_0^1 \frac{1}{x} dx$ , if possible.	BTL -5	Evaluating
19.	Find $\int_0^1 \sqrt{x} dx$	BTL -3	Applying
20.	Prove that $\int_0^1 x^{-1} dx$ is divergent.	BTL -1	Remembering
PART - B			
1.(a)	Evaluate the integral using Riemann sum method and verify the answer by fundamental theorem of calculus	BTL -5	Evaluating
1. (b)	Calculate $\int_0^1 \frac{1}{1+x^2} dx$ , by using trigonometric substitution. Hence use it to $\int_0^1 \frac{x}{1+x^2} dx$	BTL -3	Applying
2. (a)	Evaluate $\int_0^1 \sqrt{x} dx$ as sample points. Hence verify it by using fundamental theorem of calculus	BTL -5	Evaluating
2.(b)	Find $\int_0^1 \frac{1}{1+x^2} dx$ by trigonometric substitution	BTL -3	Applying
3. (a)	Evaluate $\int_0^1 x^2 dx$ by using Riemann sum by taking the right end points as sample points. Hence verify it by using fundamental theorem of calculus.	BTL -5	Evaluating



3.(b)	Using trigonometric substitution evaluate	BTL -3	Applying
4. (a)	Evaluate $\int \frac{1}{\sqrt{1-x^2}} dx$ sum by taking the	BTL -5	Evaluating
4.(b)	Obtain $\int \frac{1}{1+x^2} dx$ using trigonometric substitution	BTL -3	Applying
5. (a)	Evaluate the following integrals by interpreting interms of areas $\int_0^1 \sqrt{1-x^2} dx$	BTL -5	Evaluating
5.(b)	Calculate $\int \frac{1}{x^2+1} dx$ using partial fraction	BTL -3	Applying
6. (a)	Evaluate $\int_0^1 \sqrt{1-x^2} dx$ by interpreting interms of areas.	BTL -5	Evaluating
6.(b)	Find $\int \frac{1}{x^2+1} dx$	BTL -3	Applying
7. (b)			
7. (a)	Evaluate $\int_0^1 \sqrt{1-x^2} dx$ by interpreting interms of areas.	BTL -5	Evaluating
	Use the substitution $t = \tan^{-1} x$ , to transform the integral as a rational function of t and then evaluate $\int \frac{1}{1+x^2} dx$	BTL -3	Applying
8. (a)	Evaluate $\int_0^1 \sqrt{1-x^2} dx$ by interpreting interms of areas.	BTL -5	Evaluating
8.(b)	Calculate $\int \frac{1}{x^2+1} dx$ by partial fraction	BTL -3	Applying
9. (a)	Evaluate $\int \frac{1}{x^2+1} dx$	BTL -5	Evaluating
9.(b)	Compute $\int \frac{1}{x^2+1} dx$ partial faction.	BTL -3	Applying
10.(a)	Evaluate $\int \frac{1}{\sqrt{1-x^2}} dx$	BTL -5	Evaluating
10.(b)	Estimate $\int_0^1 \sqrt{1-x^2} dx$ by using an appropriate substitution.	BTL -2	Understanding
11.(a)	Evaluate $\int \frac{1}{\sqrt{1-x^2}} dx$	BTL -5	Evaluating
11.(b)	Determine if the integral is convergent (i) $\int_0^1 \frac{1}{\sqrt{1-x^2}} dx$ (ii) $\int_0^1 \frac{1}{1-x^2} dx$	BTL -6	Creating
12.(a)	Prove the reduction formula $\int \frac{1}{x^2+a^2} dx = \frac{1}{a} \tan^{-1} \frac{x}{a} + C$ . Hence by using it evaluate $\int \frac{1}{x^2+1} dx$ and $\int \frac{1}{x^2+4} dx$	BTL -1	Remembering
12.(b)	For what values of p is the integral $\int_0^1 \frac{1}{x^p} dx$ convergent?	BTL -6	Creating
13.(a)	Prove the reduction formula $\int \frac{1}{x^2+a^2} dx = \frac{1}{a} \tan^{-1} \frac{x}{a} + C$ and use it to	BTL -1	Remembering



	evaluate / and		
13.(b)	Determine whether the integral $\int_{-\infty}^{\infty} \dots$ is convergent or divergent.	BTL -6	Creating
14.(a)	Prove that $\dots (n \neq 1)$	BTL -1	Remembering
14.(b)	Evaluate the integral (i) $\dots$ (ii) Show that $\dots$ is convergent.	BTL -5	Evaluating

**UNIT IV MULTIPLE INTEGRALS**

Double integrals – Change of order of integration – Double integrals in polar coordinates – Area enclosed by plane curves – Triple integrals – Volume of solids – Change of variables in double and triple integrals

Q.No.	Question	Bloom's Taxonomy Level	Domain
<b>PART - A</b>			
1.	Evaluate $\dots$	BTL -5	Evaluating
2.	Estimate $\dots$	BTL -2	Understanding
3.	Compute the area bounded by the lines $\dots$	BTL -3	Understanding
4.	Calculate $\dots = , = =$	BTL -2	Understanding
5.	Compute $\dots$	BTL -3	Applying
6.	Estimate $\sqrt{\dots}$	BTL -2	Understanding
7.	Compute $\dots$	BTL -3	Applying
8.	Evaluate $\dots$	BTL -5	Evaluating
9.	Evaluate $\dots$	BTL -5	Evaluating
10.	Evaluate $\dots$ over the region bounded by $\dots = , = ,$	BTL -5	Evaluating
11.	Change the order of integration $\dots$	BTL -3	Applying
12.	Change the order of integration $\dots$	BTL -3	Applying
13.	Change the order of integration $\int_{-\infty}^{\infty} \dots$	BTL -3	Applying
14.	Evaluate $\dots + \dots$ over the region bounded by $\dots$	BTL -5	Evaluating
15.	Write down the double integral $\dots$ to find the area of the circles $\dots$	BTL -1	Remembering
16.	Evaluate $\sqrt{\dots}$	BTL -5	Evaluating
17.	Evaluate $\dots + \dots$	BTL -5	Evaluating
18.	Evaluate $\dots + \dots$	BTL -5	Evaluating

19. 20.	Find Compute		<b>BTL -1</b> BTL -3	Remembering Applying
<b>PART B</b>				
1.(a)	Find	over the positive quadrant of the circle	<b>BTL -1</b>	Remembering
1. (b)	Change the order of integration	and hence evaluate it	<b>BTL -3</b>	Applying
2. (a)	Evaluate		<b>BTL -5</b>	Evaluating
2.(b)	By change the order of integration and evaluate		<b>BTL -3</b>	Applying
3. (a)	Using double integral find the area of the Ellipse	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ .	<b>BTL -4</b>	Analyzing
3.(b)	Change the order of integration	and hence evaluate it	<b>BTL -3</b>	Applying
4. (a)	By changing in to polar Co – ordinates , evaluate	. Hence find the value of	<b>BTL -3</b>	Applying
4.(b)	Change the order of integration	and hence evaluate it	<b>BTL -3</b>	Applying
5. (a)	Evaluate	by changing into polar co – ordinates	<b>BTL -5</b>	Evaluating
5.(b)	Change the order of integration	and hence evaluate it	<b>BTL -3</b>	Applying
6. (a)	Prove that	taken over the area of triangle	<b>BTL -4</b>	Analyzing
6.(b)	Find the area of the cardioids		<b>BTL -1</b>	Remembering
7. (a)	polar coordinates	taken throughout the sphere	<b>BTL -5</b>	Evaluating
7. (b)	Find the volume of the tetrahedron bounded by the coordinate planes and	where R is the trapezoidal	<b>BTL -1</b>	Remembering
8. (a)	region with vertices (1,0) (2,0) (0,-2) (0,-1)		<b>BTL -5</b>	Evaluating
8.(b)	Calculate	where V is the region bounded by	<b>BTL -3</b>	Applying
9. (a)			<b>BTL -3</b>	Applying



9.(b)	Evaluate	BTL -5	Evaluating
10.(a)	Change the integral into polar coordinates and hence evaluate it	BTL -3	Applying
10.(b)	Find the volume of the ellipsoid	BTL -1	Remembering
11.(a)	Find the area which is inside the circle and outside the cardioids	BTL -1	Remembering
11.(b)	Evaluate Find the area that lies inside the cardioids and outside the circle by double integral = +	BTL -5	Evaluating
12.(a)	Find the value of through the positive spherical octant for which	BTL -1	Remembering
13.(a)	Evaluate where R is the first quadrant part of the region bounded by two circles *by converting into polar coordinates	BTL -5	Evaluating
13.(b)	Formulate the volume bounded by the cylinder	BTL -6	Creating
14.(a)	Evaluate	BTL -5	Evaluating
14.(b)	Find the area enclosed by the curves and	BTL -1	Remembering

**UNIT V DIFFERENTIAL EQUATIONS**

Higher order linear differential equations with constant coefficients - Method of variation of parameters – Homogenous equation of Euler’s and Legendre’s type – System of simultaneous linear differential equations with constant coefficients - Method of undetermined coefficients.

Q.No.	Question	Bloom’s Taxonomy Level	Domain
<b>PART – A</b>			
1.	Find the P.I of $(D - 1)^2 y = \sinh 2x$ .	BTL-1	Remembering
2.	Find the P.I of $(D^2 + 1)y = \cos 2x$ .	BTL-1	Remembering
3.	Find the P.I of	BTL-1	Remembering
	Find the particular Integral for $D^2 D y x$	BTL-1	Remembering
	Find the P.I of $D^2 y x^2$	BTL-1	Remembering
6.	Find the P.I of $(D^2 + 4D + 5)y = e^{-2x}$	BTL-1	Remembering
7.	Estimate the P.I of	BTL-2	Understanding
8.	Estimate the P.I of + + =	BTL-2	Understanding
9.	Estimate the P.I of	BTL-2	Understanding
10.	Find the complementary function of	BTL-2	Understanding

	Solve $(D - 1)y = 0$ .	EnggTree.com	
11.	$D + =$	BTL-3	Applying
12.	Solve	BTL-3	Applying

13.	Find the $\frac{2}{2}$ of Solve $Dx + y =$ ,	BTL-3	Applying
14.	complementary function "	BTL-4	Analyzing
15.	Solve $(D + a)y = 0$ - + =	BTL-3	Applying
16.	Convert in to differential equations with constant coefficients	BTL-6	Creating
17.	Test whether the equation " is linear equation with constant coefficients if not convert. =	BTL-5	Evaluating
18.	Solve	BTL-5	Evaluating
19.	Rewrite the equation into the linear equation with constant coefficients. + - =	BTL-6	Creating
20.	Rewrite the equation into the linear equation with constant coefficients + - =	BTL-6	Creating
<b>PART-B</b>			
1.(a)	Identify the solution of	BTL-1	Remembering
1. (b)	Using the method of variation of parameter to Evaluate	BTL-2	Understanding
2. (a)	Identify the solution of $y'' - 2x = 2$	BTL-1	Remembering
2.(b)	Using the method of variation of parameter to Evaluate $(D^2 + 25)y = \sec 5x$ .	BTL-2	Understanding
3. (a)	Identify the solution of $(D^3 - 7D - 6)y = (1 + x)e^{2x}$	BTL-1	Remembering
3.(b)	Solve $y'' - 2y' + y = e^x \log x$ , Using the method of variation of parameters.	BTL-3	Applying
4. (a)	Give the complimentary function and particular integral of $(D^2 - 3D + 2)y = x \cos x$ .	BTL-2	Understanding
4.(b)	of Using the method of variation of parameters find the solution	BTL-4	Analyzing
5. (a)	Solve $x^2 D^2 - xD + y = x \sin \log \frac{1}{x}$ .	BTL-3	Applying
5.(b)	Evaluate the simultaneous equations $\frac{dx}{dt} + 2x - 3y = \frac{dy}{dt} - 3x + 2y = 2e^{2t}$ given that $x(0) = 0$ , $y(0) = -1$ .	BTL-5	Evaluating
6. (a)	Give the general solution of $x^2 \frac{d^2 y}{dx^2} + x \frac{dy}{dx} = \sin(\log x)$	BTL-1	Remembering
6.(b)	Solve: $\frac{dx}{dt} + 2y = \sin \frac{dy}{2t} - 2x = \cos \frac{2t}{2t}$ .	BTL-3	Applying
7. (a)	Find the solution of $(2x + 3) \frac{d^2 y}{dx^2} + \frac{dy}{dx} - 12y = \frac{6x}{4x^2 + 3}$	BTL-1	Remembering

$$(x^2D^2 - 2xD + 4)y = 0$$

7. (b)	Formulate the ODE and hence solve it. EnggTree.com	BTL-6	Creating
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8. (a)	Solve _____ by method of variation of parameters	BTL-3	Applying
8.(b)	Identify the solution of $Dx - 5x + 3y = \sin t$ , $D^2y + 5y - 3x = t$	BTL-1	Remembering
9. (a)	Solve the differential equation _____ by method of variation of parameters	BTL-3	Applying
10.(a)	Evaluate the general solution of _____ $y =$	BTL-5	Evaluating
9.(b)	Solve the differential equation _____ by method of variation of parameters	BTL-3	Applying
10.(b)	Formulate the ODE and hence solve _____	BTL-6	Creating
11.(a)	Solve the equation _____	BTL-3	Applying
11.(b)	Using method of undetermined coefficients solve _____	BTL-1	Remembering
12.(a)	Solve _____	BTL-3	Applying
12.(b)	Using method of undetermined coefficients solve _____	BTL-3	Applying
13.(a)	Solve $(D - 2D + 1)y =$ _____	BTL-3	Applying
13.(b)	Solve $(\frac{d}{dx} + 3)$ _____	BTL-3	Applying
14.(a)	Solve $\frac{dy}{dx} + x =$ _____, $\frac{dy}{dx} + y = t$	BTL-3	Applying
14.(b)	Using method of _____ undetermined coefficients	BTL-3	Applying